

Citations to P. P. Pálffy's papers

October 25, 2012

(* refers to a citation to a preliminary preprint version of the paper)

1. P. P. Pálffy, On certain congruence lattices of finite unary algebras, *Comment. Math. Univ. Carolinae* 19 (1978), 89–95. **MR** 57#12352

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