## Product irregularity strength of graphs and hypergraphs

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Let $G$ be a graph with no isolated edges and consider an edge-labeling $w: E(G) \rightarrow$ $\{1,2,3, \ldots, s\}$ of the edges of $G$. The product degree $p d(v)$ of a vertex $v$ is the product of weights on edges incident to $v$, i.e., $p d(v)=\prod_{e \ni v} w(e)$. We call an edge-labeling product-irregular if all product degrees in $G$ are distinct. The minimal $s$ such that there exists a product-irregular labeling of $G$ with labels $\{1,2, \ldots, s\}$ is the product irregularity strength of $G$. This parameter was introduced by Anholcer who determined the value for some specific classes of graphs and proved general upper and lower bounds. We establish improved upper and lower bounds on this parameter for graphs. In fact, our results hold for multihypergraphs (subject to some basic constraints).

